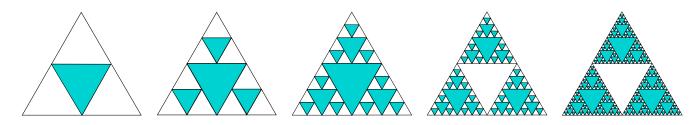
## Exploring the Math of Triangles

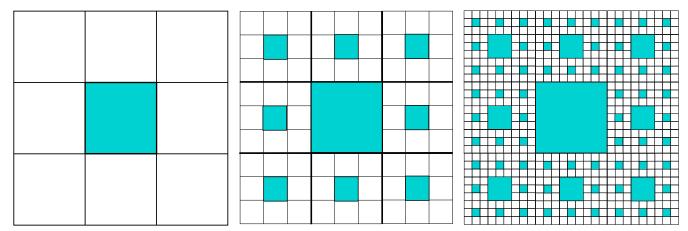


• Assume the original largest triangle has area of 1.0. Fill in the Table:

Iteration	1	2	3	4	5
Number of Shaded Triangles					
Area of smallest Shaded Triangle					
Total Shaded Area					

- Find a pattern for the number of shaded triangles (the values in the first row of the table). Determine a formula for the number of shaded triangles at the  $n^{th}$  iteration.
- Find a pattern for the area of one shaded triangle (the values in the second row). Determine a formula for the area of one shaded triangle at the  $n^{th}$  iteration.
- Find a pattern in the values for the total shaded area. Determine a formula for the total area at the  $n^{th}$  stage.
- What happens to these values as the number of iterations grows large?

### Exploring the Math of Squares

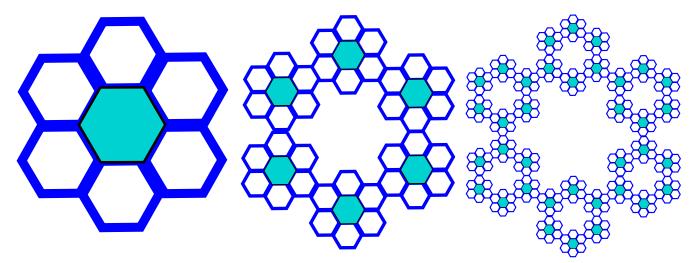


• Assume the initial, largest square has area 1.0. Fill in the Table:

Iteration	1	2	3	4
Number of Shaded Squares				
Area of smallest Shaded Square				
Total Shaded Area				

- Find a pattern for the number of shaded squares (the values in the first row of the table). Determine a formula for the number of shaded squares at the  $n^{th}$  iteration.
- Find a pattern for the area of one shaded square (the values in the second row). Determine a formula for the area of one shaded square at the  $n^{th}$  iteration.
- Find a pattern in the values for the total shaded area. Determine a formula for the total area at the  $n^{th}$  iteration.
- What happens to these values as the number of iterations grows very large?

#### Exploring the Math of Hexagons

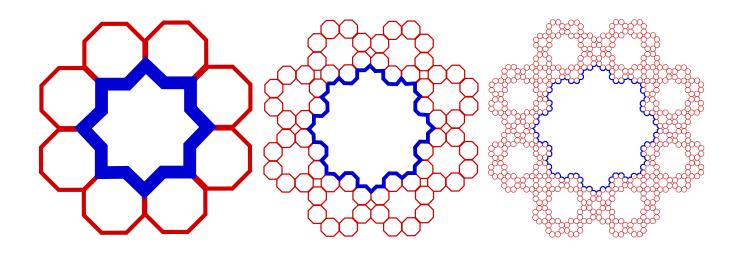


• Fill in the Table:

Iteration	1	2	3
Number of Shaded Hexagons			
Number of Hexagons Not Shaded			
Total Number Hexagons			

- Find a pattern in the values for the number of shaded hexagons. Determine a formula for the number of shaded hexagons at the  $n^{th}$  iteration.
- Find a pattern in the values of the number of surrounding hexagons. Build a formula for the number of surrounding hexagons at the  $n^{th}$  iteration.
- Find a pattern in the values for the total number of hexagons. Build a formula for this total at the  $n^{th}$  iteration.
- What happens to these values as the number of iterations grows very large?

### Exploring the Math of Octagons — 1

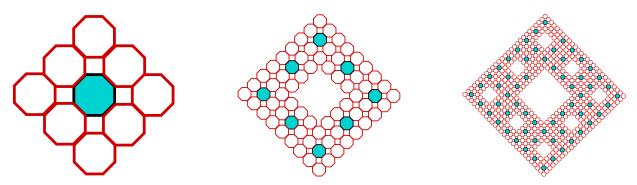


• Fill in the Table:

Iteration	1	2	3
Number of Octagons			
Number of Interior Edges	16		

- Find a pattern for the number of octagons. Determine a formula for the number of octagons at the  $n^{th}$  iteration.
- What happens to the total number of hexagons as the number of iterations grows very large?
- Find a pattern for the number of interior edges. Determine a formula for the number of such edges at the  $n^{th}$  iteration.

### Exploring the Math of Octagons — 2



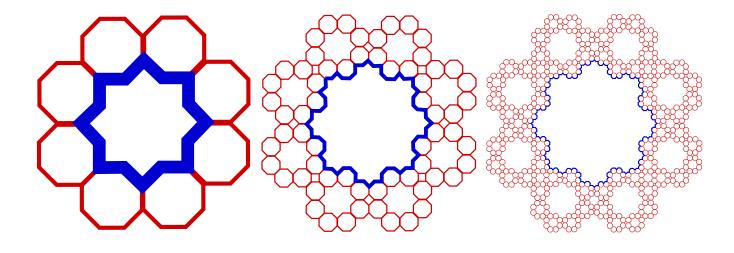
• Fill in the Table:

Iteration	1	2	3
Number of Shaded Octagons			
Total Number of Octagons			
Ratio of Shaded to Total Octagons			

- Find a pattern for the number of shaded octagons at each iteration. Determine a formula for the number of shaded octagons at the  $n^{th}$  iteration.
- Find a pattern in the values for the total number of octagons. Determine a formula for the number of octagons at the  $n^{th}$  iteration.
- Find a pattern in the values for the ratio of shaded to total octagons. Determine a formula for that ratio at the  $n^{th}$  iteration.
- What happens to these values as the number of iterations grows very large?

# In Search of Snowflakes

Using Octagons



Using Hexagons

